



Ringwood Junior School

Calculation Policy

KS1 Learning – Addition and subtraction

What pupils should already know from KS1:

- Recognise symbols: + as addition; - as subtraction and = as equal to.
- Understand that addition is commutative and subtraction is not.
- Understand the inverse relationship of addition and subtraction and use this to check calculations and solve missing number problems.
- Know the language of 'sum' for addition and 'difference' for subtraction.
- Recall and use number bonds to 10 and 20 (1+9, 2+8, 3+7 etc and 1+19, 2+18, 3+17 etc). Use these to derive number bonds to 100.
- Be able to add and subtract two two-digit numbers (as well as two digits and one digit and two digits and a tens number).
- Be able to add three one-digit numbers.

KS1 Learning – Multiplication and division

What pupils should already know from KS1:

- Recognise symbols: x as multiplication; ÷ as division and = as equal to.
- Understand that multiplication as 'lots of' or 'groups of'. Understand division as sharing.
- Understand the inverse relationship of multiplication and division and use this to check calculations. Understand multiplication as repeated addition and division as repeated subtraction.
- Understand that multiplication can be done in any order (commutative) whilst division cannot.
- Recall and use multiplication and division facts for the 2, 5 and 10 times tables.
- Show arrays or sharing using concrete objects and pictures.
- Connect the 10 times table to place value; the 5 times table to divisions on a clock face and the 2 times table to doubling and halving.

Addition

Revision of KS1 learning
Moving to formal methods

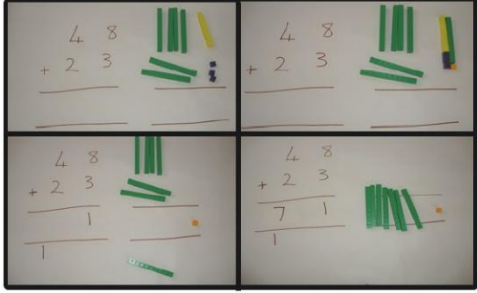
48	
25	23

$$25 + 23 = 48$$

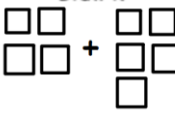
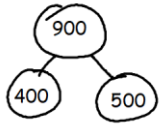
$$23 + 25 = 48$$

$$48 - 23 = 25$$


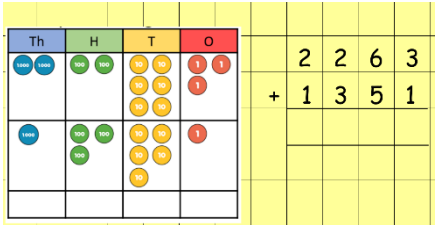
$$48 - 25 = 23$$



Introduction to 3 digit + 3 digit

<p>Draw It</p> 	<p>Write It</p> <p>Four hundred add five hundred equals nine hundred</p>	<p>Part-Whole</p> 	<p>Number Sentence</p> $400 + 500 = 900$
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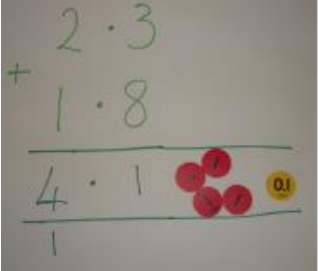
Moving to formal methods starting with concrete and pictorial representations

Formal written column method (up to 8 digit numbers and decimals)

789 + 642 becomes

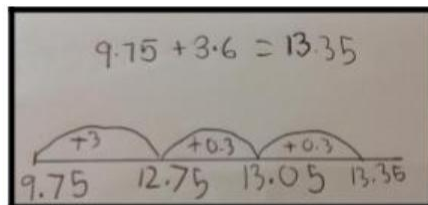
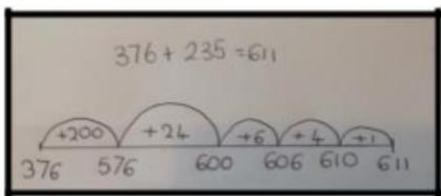
	7	8	9
+	6	4	2
<hr/>			
	1	4	3
	1		1



Answer: 1431

Mental strategies for addition

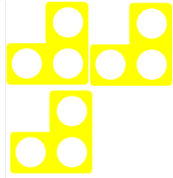
- Counting on efficiently (bridging through ten modelled on number lines)



- Mental partitioning
- Recalling number bonds
- Scaling (ten times smaller)
- Using subtraction as the inverse
- Using estimating
- Using rounding

Multiplication

Times tables using concrete and pictorial representations (see times table progression document for order of teaching)



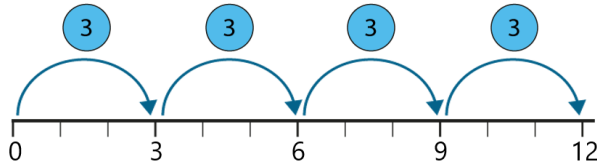
$3 \times 3 =$

3 lots of 3

Numicon

3 groups of 3

Three 3s

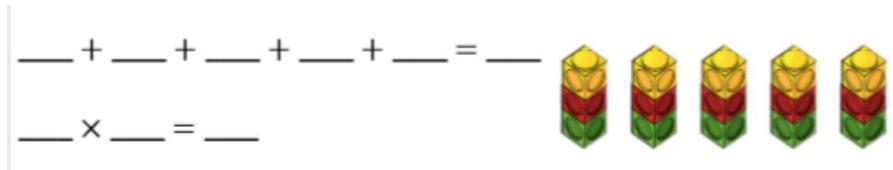


There are 12 wheels.

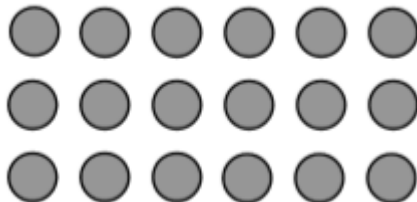
$4 \times 3 = 12$

$3 \times 4 = 12$

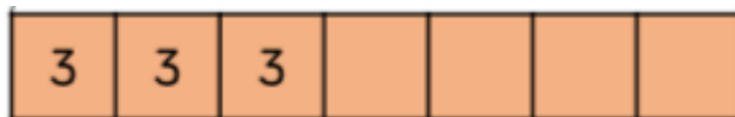
Number lines



Repeated addition



Arrays

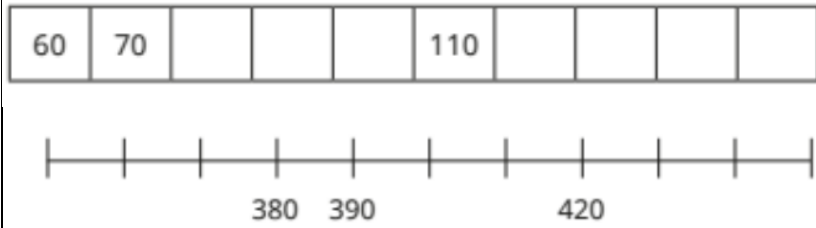


Bar models

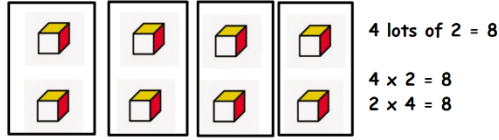


Use of a counting stick

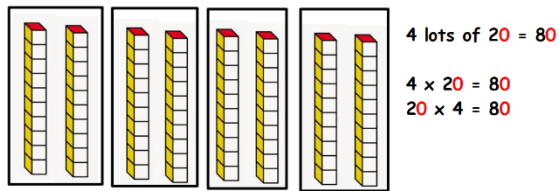
Preparing for formal methods:
 Multiplying multiples of ten



Multiply 2 ones by 4



Multiply 2 tens by 4



Multiplication using grid method

	Tens	Ones	
X	10	2	$12 \times 4 =$
4	 $4 \times 10 = 40$	 $4 \times 2 = 8$	$40 + 8 =$

	x	T	O
		x =	x =

Multiplication using formal column method (expanded)

$23 \times 4 =$

	T	O
	2	3
x		4
<hr/>		
(4×3)	1	2
(4×20)	8	0

Formal method - short multiplication (including decimals)

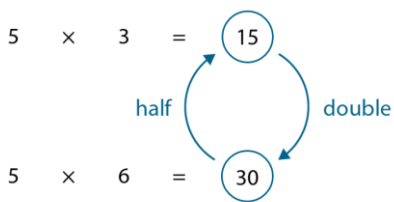
		Th	H	T	O
			2	3	4
	x				6
		1	4	0	4
			2	2	

	2	1	3
x			4
	8	5	2
		1	

$$\begin{array}{r}
 345 \\
 \times 293 \\
 \hline
 1035 \\
 31050 \\
 69000 \\
 \hline
 101085
 \end{array}$$

Mental strategies for multiplication

- Counting forwards in equal steps (e.g in threes, fours etc)
- Doubling and near doubles
- Partitioning
- Using division as inverse of multiplication
- Using known facts to derive other facts (2, 10, 5, derive)
- Making links between times tables



Number	0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24
Counting in 3s	✓			✓			✓			✓			✓			✓			✓			✓			✓
Counting in 6s	✓						✓						✓						✓						✓

Number of bunches of balloons	× 10	× 1	Total number of balloons (× 11)
0	0	0	0
1	10	1	11
2	20	2	22
3	30	3	33
4	40	4	44
5	50	5	55
6	60	6	66
7	70	7	77
8	80	8	88
9	90	9	99
10	100	10	110
11	110	11	121
12	120	12	132

- Using place value to multiply by 10, 100, 1000 etc

Multiplying and Dividing by 10, 100 and 1000

10 000	1000	100	10	1	●	$\frac{1}{10}$	$\frac{1}{100}$	$\frac{1}{1000}$
					●			

Multiplying

X 10 digits move LEFT 1 space
 X 100 digits move LEFT 2 spaces
 X 1000 digits move LEFT 3 spaces



Dividing

÷ 10 digits move RIGHT 1 space
 ÷ 100 digits move RIGHT 2 spaces
 ÷ 1000 digits move RIGHT 3 spaces



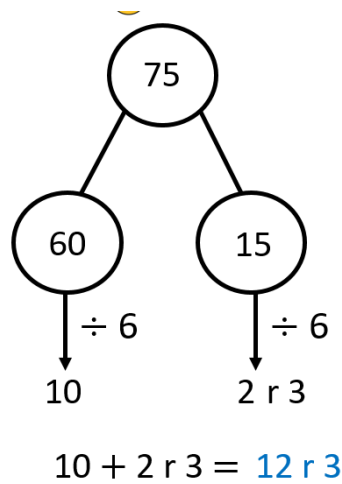
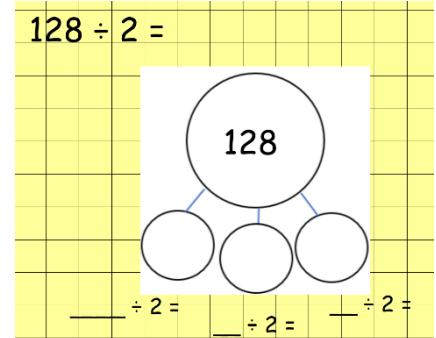
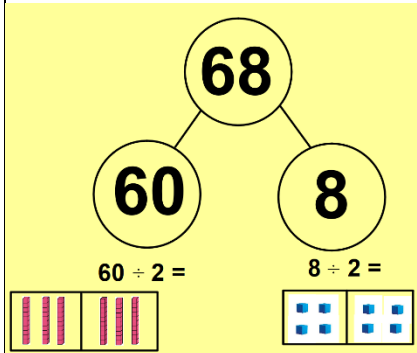
Division

Using known facts from multiplication times tables

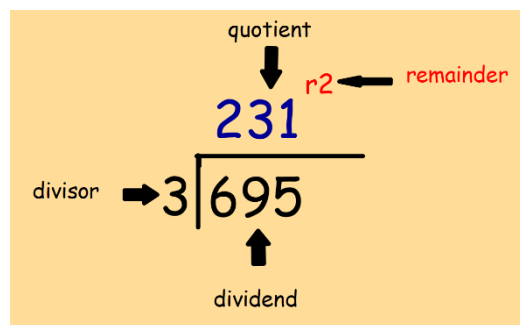
$$5 \times 4 = 20 \text{ and } 4 \times 5 = 20.$$

$$20 \div 5 = 4 \text{ and } 20 \div 4 = 5$$

Partitioning to divide



Formal written method for short division (including with decimals)



Formal written method for long division and chunking

		1	3	5
32	4	3	2	0
-	3	2		
	1	1	2	
-		9	6	
		1	6	0
-		1	6	0
				0

		4	6
		5	9
13	5	9	8
-	5	2	0
		7	8
-		7	8
			0

$13 \times 4 = 52$

$13 \times 5 = 65$

$13 \times 6 = 78$

$13 \times 7 = 91$

($\times 40$)

($\times 6$)

Mental strategies for division

- Counting forwards in equal steps (e.g in threes, fours etc)
- Halving
- Partitioning including scaling

8	÷	4	=						
8	0	÷	4	=					
8	0	0	÷	4	=				

- Using multiplication as the inverse of division
- Using place value to divide by 10, 100, 1000 etc

Multiplying and Dividing by 10, 100 and 1000

10 000	1000	100	10	1	•	$\frac{1}{10}$	$\frac{1}{100}$	$\frac{1}{1000}$
					•			

Multiplying

X 10
X 100
X 1000

digits move LEFT 1 space
digits move LEFT 2 spaces
digits move LEFT 3 spaces



Dividing

÷ 10
÷ 100
÷ 1000

digits move RIGHT 1 space
digits move RIGHT 2 spaces
digits move RIGHT 3 spaces

